

# LGIM Matching Core Indices Hedging Multiples Methodology Update

**LONDON, NOVEMBER 27, 2024:** S&P Dow Jones Indices ("S&P DJI") announces a change to the LGIM Matching Plus methodology.

S&P DJI is updating the Hedging Multiples calculation within the LGIM Matching Plus indices methodology, specifically for the Inflation Swap indices. This update includes formula modifications to the Initial Margin, Hedging Multiple, Optimal Hedging Multiple, Hedging Multiple Upper Bound, Hedging Multiple Lower Bound, and Benchmark Headroom. The changes are detailed in the table below.

Change	Methodology																			
	Previous	Updated																		
Initial Margin	<p>For each swap index of Fixed Swap, Inflation and Real Swap as defined in Table 4: Swap Based Indices the Initial Margin amount is calculated as certain multiples of the price risk sensitivities (PV01 or IE01) of their underlying swap instrument. The cash inflow/outflow of Initial Margin account is withdraw from/injected into the Cash Account. On the rebalance date the Initial Margin Account remains constant without re-scaling.</p> $IMCash_t = \sum_{i=1}^n (\text{BaseRiskSensitivity}_{t,i} \times \text{RiskMultiple}_i)$ <table border="1"> <thead> <tr> <th>Index Family</th> <th>BaseRiskSensitivity</th> <th>RiskMultiple</th> </tr> </thead> <tbody> <tr> <td>Fixed Swap</td> <td>PV01 of fixed swap</td> <td>40</td> </tr> <tr> <td>Real Swap</td> <td>IE01 of inflation swap</td> <td>45</td> </tr> </tbody> </table>	Index Family	BaseRiskSensitivity	RiskMultiple	Fixed Swap	PV01 of fixed swap	40	Real Swap	IE01 of inflation swap	45	<p>For each swap index within the Fixed Swap and Real Swap<sup>1</sup> index families, as defined in Table 4: Swap Based Indices, the Initial Margin amount calculates as certain multiples of the price risk sensitivities (PV01 or IE01) of the underlying swap instrument. The cash inflow/outflow of the Initial Margin account is withdrawn from/injected into the Cash Account. On the rebalancing date, the Initial Margin Account remains constant without re-scaling.</p> $IMCash_t = \sum_{i=1}^n (\text{BaseRiskSensitivity}_{t,i} \times \text{RiskMultiple}_i)$ <table border="1"> <thead> <tr> <th>Index Family</th> <th>BaseRiskSensitivity</th> <th>RiskMultiple</th> </tr> </thead> <tbody> <tr> <td>Fixed Swap</td> <td>PV01 of fixed swap</td> <td>40</td> </tr> <tr> <td>Real Swap</td> <td>IE01 of inflation swap</td> <td>45</td> </tr> </tbody> </table> <p><b>For each Inflation Swap index, the Initial Margin Account calculates as:</b></p> $IMCash = ca \cdot f \cdot (SEV_{(0,0)} - SEV_{(1,0)})$ <p>where:</p> $SEV_{(a,b)} = n \cdot \left[ \frac{I_r \cdot (1 + i - a)^t}{(1 + r - b)^t} - \frac{R_f}{(1 + r - b)^t} \right]$ <p>ca = collateral adjustment, set to 50  f = % of index risk from swaps, set to 100%  SEV<sub>(0,0)</sub> = swap equivalent value under current inflation curve and current interest rate curve  SEV<sub>(1,0)</sub> = swap equivalent value under current inflation curve plus 1bp and current interest rate curve  SEV<sub>(a,b)</sub> = swap equivalent value under current inflation curve plus a bp and current interest rate curve plus b bp  i = implied inflation rate from current to inflation swap maturity</p>	Index Family	BaseRiskSensitivity	RiskMultiple	Fixed Swap	PV01 of fixed swap	40	Real Swap	IE01 of inflation swap	45
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<sup>1</sup> There is no change to the Initial Margin of the Fixed Swap and Real Swap index families.

Change	Methodology	
	Previous	Updated
		<p><math>r</math> = interest rate from current to inflation swap maturity  <math>R_f</math> = the payoff of the fixed leg of the swap at maturity  <math>I_r</math> = cumulative inflation from swap inception till current, calculated as current inflation level with two-month lag / inflation level at swap inception  <math>t</math> = duration between current till swap maturity in years  <math>a</math> = inflation rate change in bps  <math>b</math> = interest rate change in bps</p>
Hedging Multiple	<p>The Hedging Multiple on Index Business Date <math>t</math> is calculated as:</p> $HM_t = \frac{BEV_t}{NAV_t}$ <p>Where  <math>HM_t</math> = Hedging Multiple as of Index Business Day <math>t</math>  <math>BEV_t</math> = Bond Equivalent Value as of date <math>t</math> as defined in Table 8: Bond Equivalent Value  <math>NAV_t</math> = Net Asset Value of the underlying security, equivalent to the index level calculated as of date <math>t</math></p>	<p>The Hedging Multiple on Index Business Date <math>t</math> calculates as:</p> <p>For Inflation Swap Indices:</p> $HM_t = \frac{\text{notional}_t}{NAV_t}$ <p>Otherwise:</p> $HM_t = \frac{BEV_t}{NAV_t}$ <p>where:  <math>\text{notional}_t</math> = Inflation swap notional amount as of Index Business Day <math>t</math>  <math>HM_t</math> = Hedging Multiple as of Index Business Day <math>t</math>  <math>BEV_t</math> = Bond Equivalent Value as of date <math>t</math> as defined in Table 8: Bond Equivalent Value  <math>NAV_t</math> = Net Asset Value of the underlying security, equivalent to the index level calculated as of date <math>t</math></p>
Hedging Multiple Upper Bound	<p>For Type B: Inflation Swap  <math>ca</math> = collateral adjustment, set to 60 for Inflation Swap</p> $\text{MAX}(1.2, \text{MIN}(\lceil 1 + (ca \times f \times ((1 + r - ohr + ulr + l)^d - (1 + r - ohr + ulr + l - 0.0001)^d) - (1 + r - ohr + ulr)^d) \rceil / ((1 + r)^d), 7.7 \rfloor))$	<p>For Type B: Inflation Swap  <math>ca</math> = collateral adjustment, set to 50 for Inflation Swap  <math>x</math> = half headroom target, set to 150 bps</p> $\text{MIN} \left( \left[ \frac{I_r \cdot [(1 + i)^t + ca \cdot f \cdot ((1 + i)^t - (1 + i - 0.0001)^t)] - R_f}{(1 + r)^t} - \frac{I_r \cdot (1 + i - x + ulr/2)^t - R_f}{(1 + r - x + ulr/2)^t} \right]^{-1} \cdot \frac{7.7 \cdot (1 + r)^t}{I_r \cdot (1 + i)^t} \right)$
Hedging Multiple Lower Bound	<p>For Type B: Inflation Swap</p> $\text{MAX}(1.0, \text{MIN}(\lceil 1 + (ca \times f \times ((1 + r - ohr - lhr + l)^d - (1 + r - ohr - lhr + l - 0.0001)^d) - (1 + r - ohr - lhr)^d) \rceil / ((1 + r)^d), 5.6 \rfloor))$	<p>For Type B: Inflation Swap</p> $\text{MIN} \left( \left[ \frac{I_r \cdot [(1 + i)^t + ca \cdot f \cdot ((1 + i)^t - (1 + i - 0.0001)^t)] - R_f}{(1 + r)^t} - \frac{I_r \cdot (1 + i - x - llr/2)^t - R_f}{(1 + r - x - llr/2)^t} \right]^{-1} \cdot \frac{5.6 \cdot (1 + r)^t}{I_r \cdot (1 + i)^t} \right)$
Optimal Hedging Multiple	For Type B: Inflation Swap	For Type B: Inflation Swap

Change	Methodology	
	Previous	Updated
	$\text{MAX}(1.1, \text{MIN}\left(1 + (ca \times f \times ((1 + r - \text{ohr} + l)^d - (1 + r - \text{ohr} + l - 0.0001)^d) - (1 + r - \text{ohr})^d\right) / ((1 + r)^d), 6.5\right))$	$\text{MIN}\left(\left[\frac{I_r \cdot [(1 + i)^t + ca \cdot f \cdot ((1 + i)^t - (1 + i - 0.0001)^t)] - R_f}{(1 + r)^t} - \frac{I_r \cdot (1 + i - x)^t - R_f}{(1 + r - x)^t}\right]^{-1}, \frac{6.5 \cdot (1 + r)^t}{I_r \cdot (1 + i)^t}\right)$
Benchmark Headroom	<p>For Type B: Inflation Swap benchmark headroom (bps) : is the rate, <i>chr</i>, derived from reversing the hedging multiple formula provided below</p> <p>Current HM</p> $= \left[1 + (ca \times f \times ((1 + r - \text{chr} + l)^d - (1 + r - \text{chr} + l - 0.0001)^d) - (1 + r - \text{chr})^d\right] / ((1 + r)^d)$	<p>For Type B: Inflation Swap benchmark headroom (bps) is the minimum <i>X</i> (in bps) where <math>X=2x</math> that satisfies the below condition where <math>SEV_{(a,b)}</math> is defined under “Initial Margin”</p> $1 + SEV_{(x,x)} - SEV_{(0,0)} - ca \cdot f \cdot (SEV_{(0,0)} - SEV_{(1,0)}) \leq 0$

## IMPACTED INDICES

Index Name	Ticker
2025 Inflation Swap Index	LGIM2025IS
2030 Inflation Swap Index	LGIM2030IS
2035 Inflation Swap Index	LGIM2035IS
2040 Inflation Swap Index	LGIM2040IS
2045 Inflation Swap Index	LGIM2045IS
2050 Inflation Swap Index	LGIM2050IS
2060 Inflation Swap Index	LGIM2060IS

## IMPLEMENTATION TIMING

S&P DJI is implementing the previously described methodology change in December 2024, which takes effect prior to the market open on **December 12, 2024**. The change will first be visible to clients in preliminary membership files beginning on **December 12, 2024**.

## ABOUT S&P DOW JONES INDICES

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